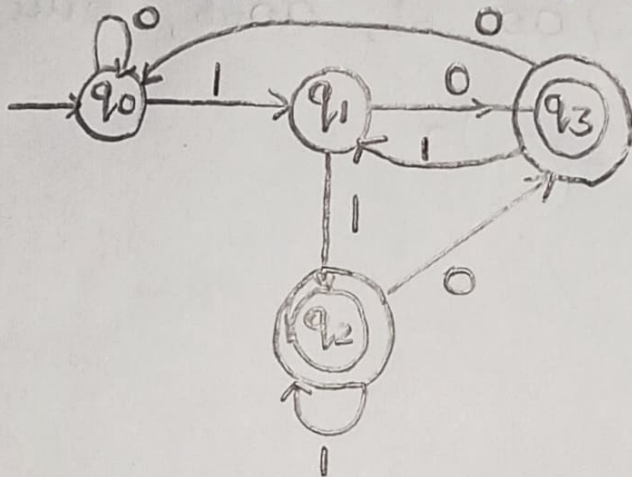


Assignment-1

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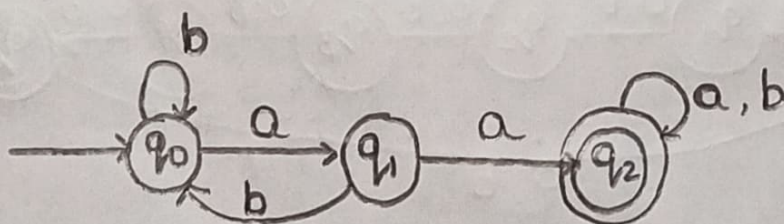
Q1:- Construct DFA over $\Sigma = \{0,1\}$ which accepts all strings which have "1" in second last position.

Ans- $\Sigma = \{0,1\}$, $L = \{10, 11, 111, 0011, 11111.. \}$



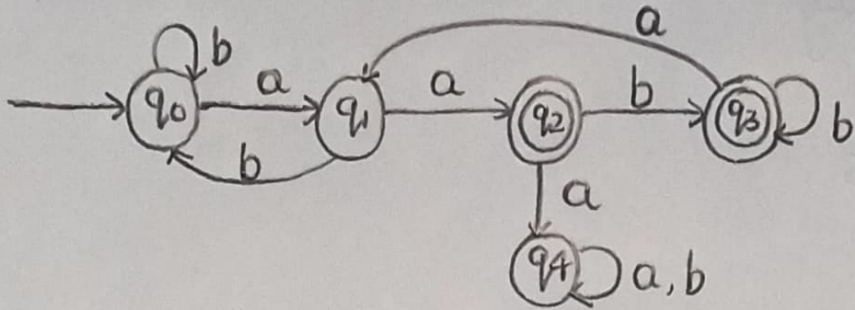
Q2:- Construct DFA that accepts all the strings of "a's" & "b's" where string contains 2 'a's' consequently.

Ans- $\Sigma = \{a,b\}$, $L = \{aa, baa, aaa, baab...\}$



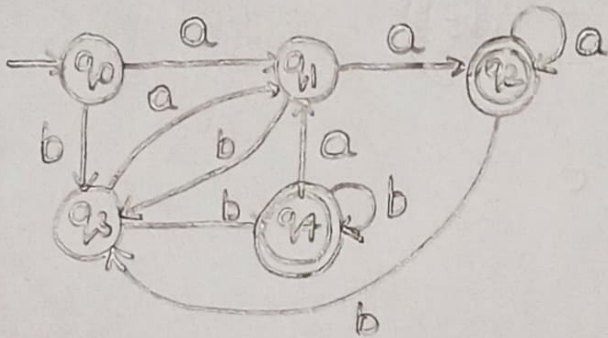
Q3:- All string of a's & b's where each string contains exactly 2 a's consequently. ②

Ans- $\Sigma = \{a, b\}$, $L = \{aa, aab, baa, aabb, \dots\}$



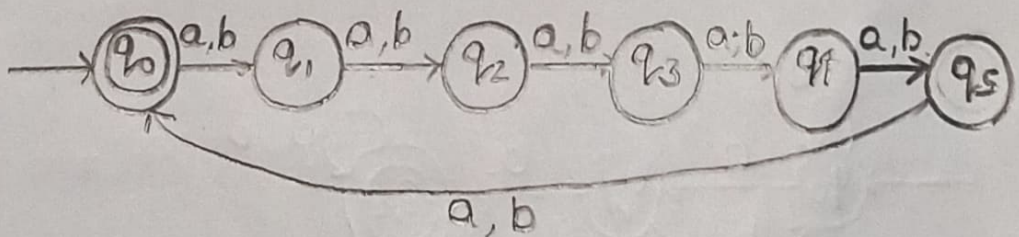
Q4:- All string of a's & b's where every string ends with "aa" or "bb".

Ans- $\Sigma = \{a, b\}$, $L = \{aa, bb, aabb, baa, abb, \dots\}$

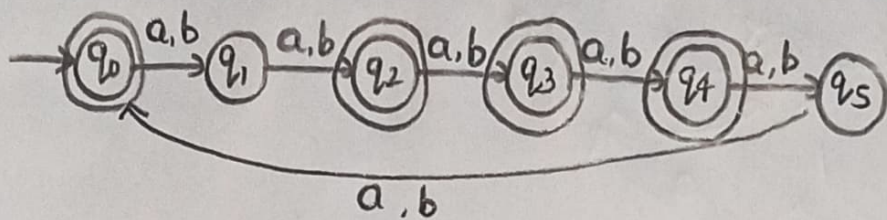


Q5:- All strings where length of string is divisible by 2 & 3.

Ans- $\Sigma = \{a, b\}$, $L = \{\epsilon, aaaaaa, bbbbbb, ababab, \dots\}$

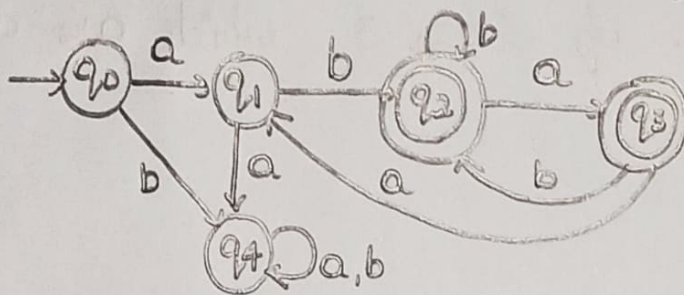


Q6:- Construct DFA that accepts all strings of length divisible by 2 or 3. (3)
 Ans:- $\Sigma = \{a, b\}$, $L = \{aa, bb, aaa, bbb, abab \dots\}$



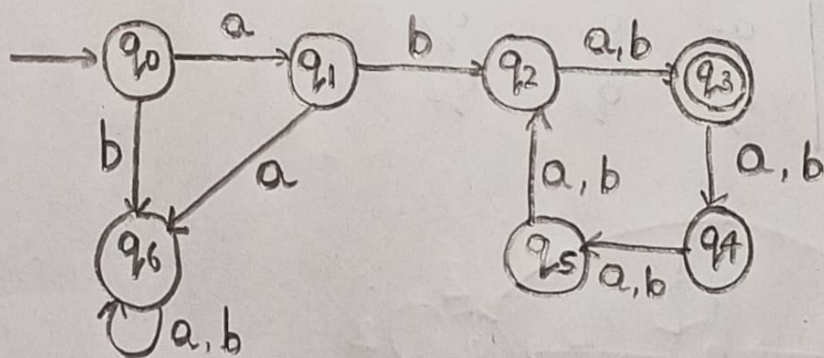
Q7:- Draw DFA for $L = (ab \cup aba)^*$, $\Sigma = \{a, b\}$.

Ans:- $\Sigma = \{a, b\}$, $L = \{ab, aba, ababa, abaab \dots\}$



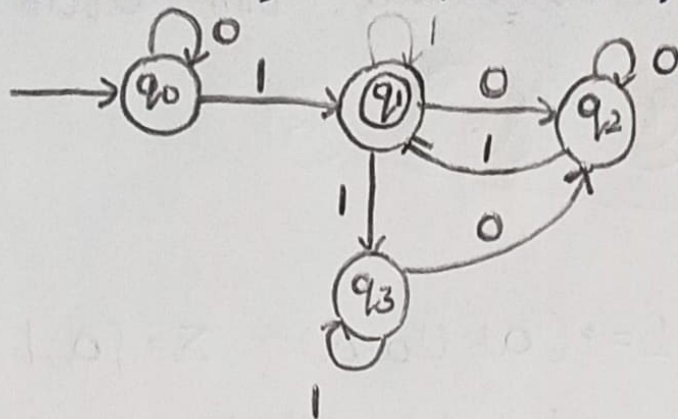
Q8:- $\Sigma = \{a, b\}$, Accepts string starting with 'ab' & length $|w| = 3 \pmod 4$.

Ans:- $L = \{aba, abb, abaaaaa, ababaaa \dots\}$



Q9:- Accepts all strings of binary no. which is congruent to $1 \pmod{4}$. (4)

Ans- $\Sigma = \{0, 1\}$, $L = \{1, 101, 1101, 1001, \dots\}$



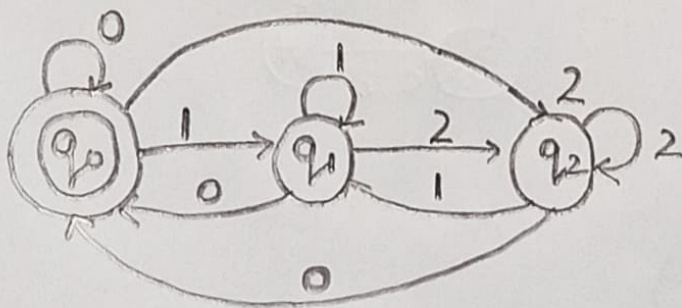
Q10:- Accepts all no. of base 3, which are divisible by 3.

Ans- $\omega = \{0, 1, 2\}^*$

$$|\omega| \pmod{3} = 0$$

transition table:-

states	Symbol		
	0	1	2
q_0	q_0	q_1	q_2
q_1	q_0	q_1	q_2
q_2	q_0	q_1	q_2

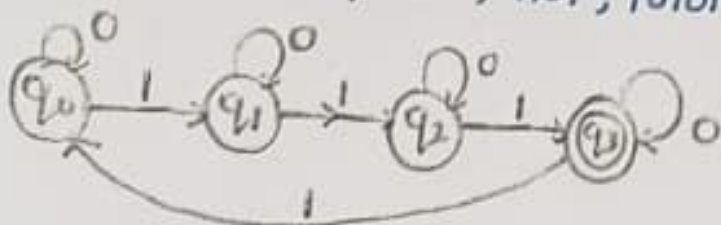


Anurag

(5)

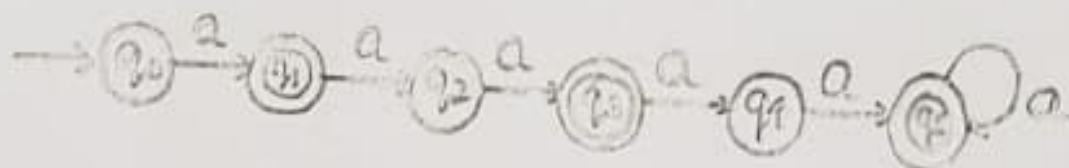
Q11:- All string w over $\{0,1\}$ such that, the number of 1's in w is $3 \pmod 4$.

Ans - $L = \{111, 1110, 1011, 1101, 10101, \dots\}$



Q12:- $L = \{a^n \mid n > 0, n \neq 2, n \neq 4\}$, $\Sigma = \{a\}^*$

Ans - $\Sigma = \{a\}^*$, $L = \{a, aaa, aaaaaa, \dots\}$



Answer